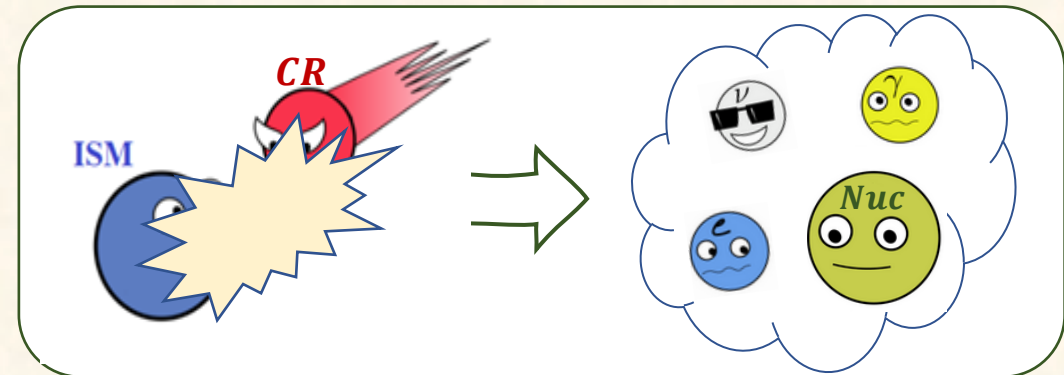
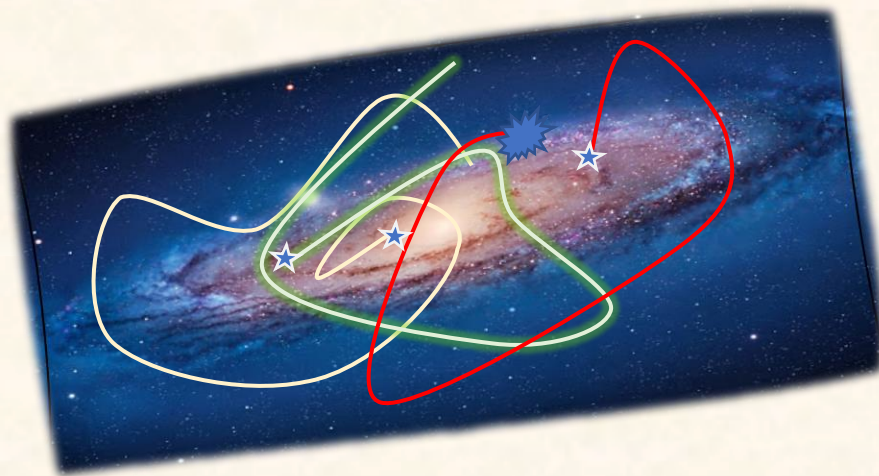


Impact of cross sections uncertainties on the study of galactic cosmic-ray propagation



Presentation outline

Secondary cosmic rays to study propagation

Flux ratios of secondary cosmic rays from different cross sections parametrizations

- ❖ Hints of primary component of B, Be or Li?
- ❖ Constraints on the halo height?
- ❖ Primary component of fluorine?

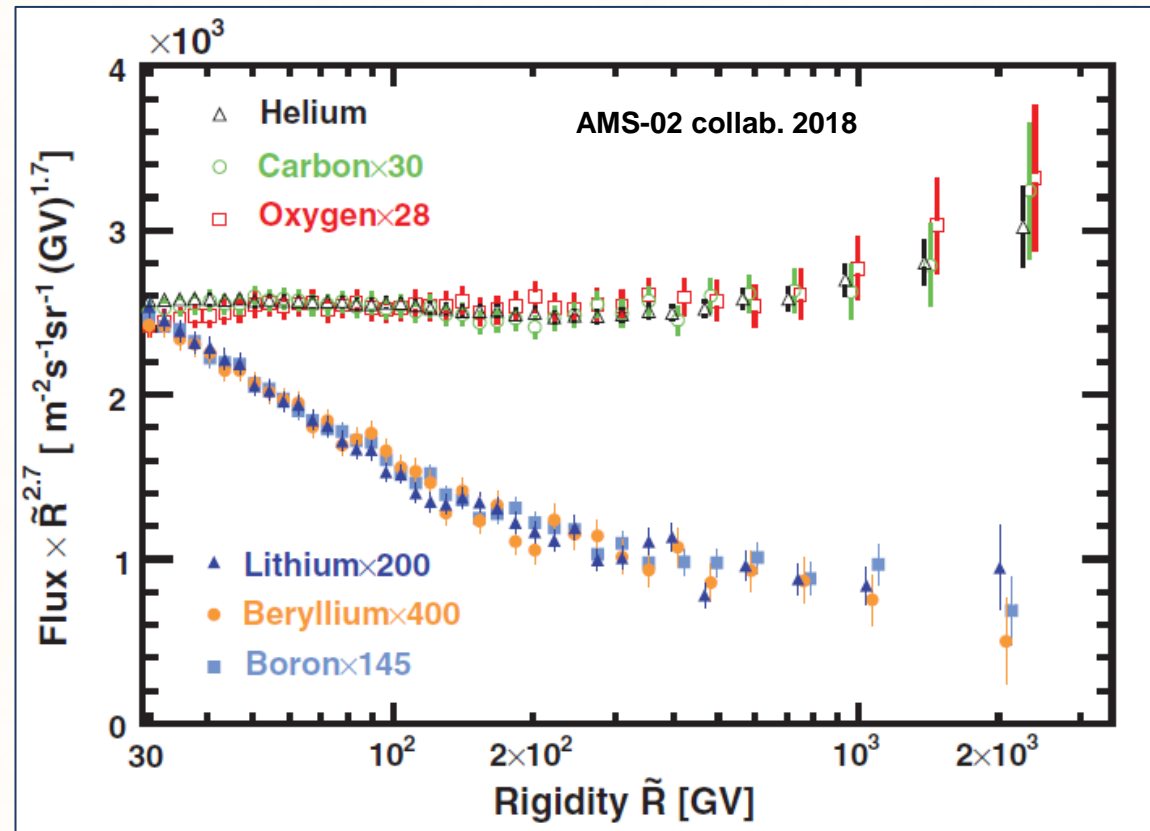
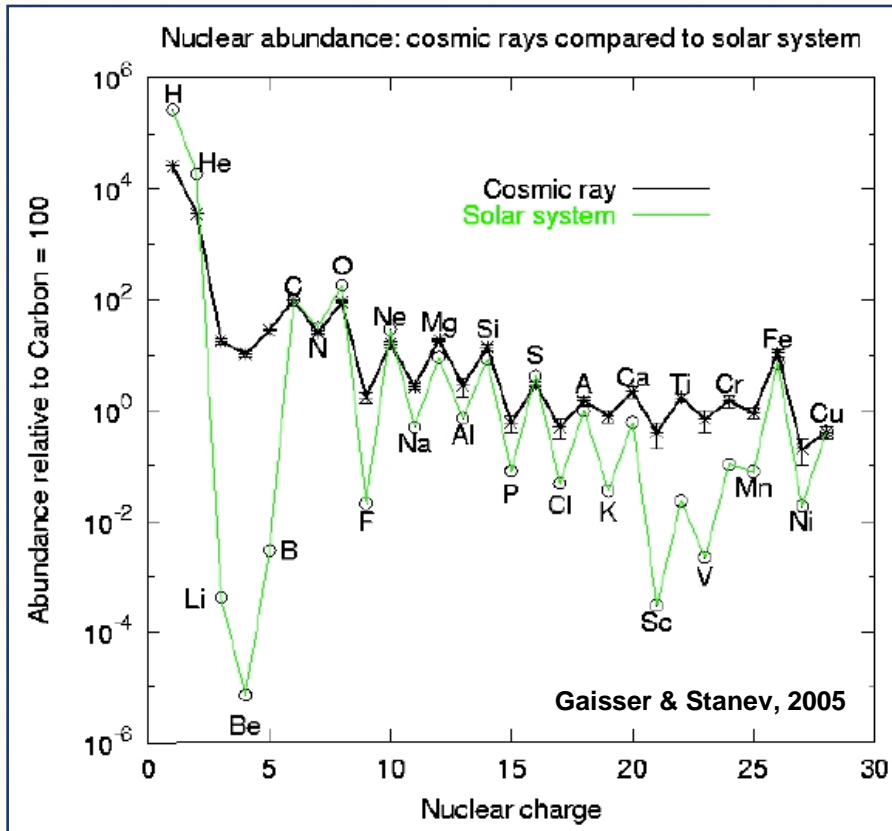
Propagation parameters inferred from different flux ratios and cross sections

- ❖ Is it possible to reproduce simultaneously all secondary CRs?

Primary CRs are accelerated in astrophysical sources (presumably SNRs) and propagate throughout the Galaxy, occasionally interacting with gas in the disc of the Galaxy, and there they produce secondary nuclei through spallation.

Abundance of secondary nuclei explained if CRs propagate for hundred millions of years

Secondary CRs offer a sensitive tool to infer the grammage traversed by these particles

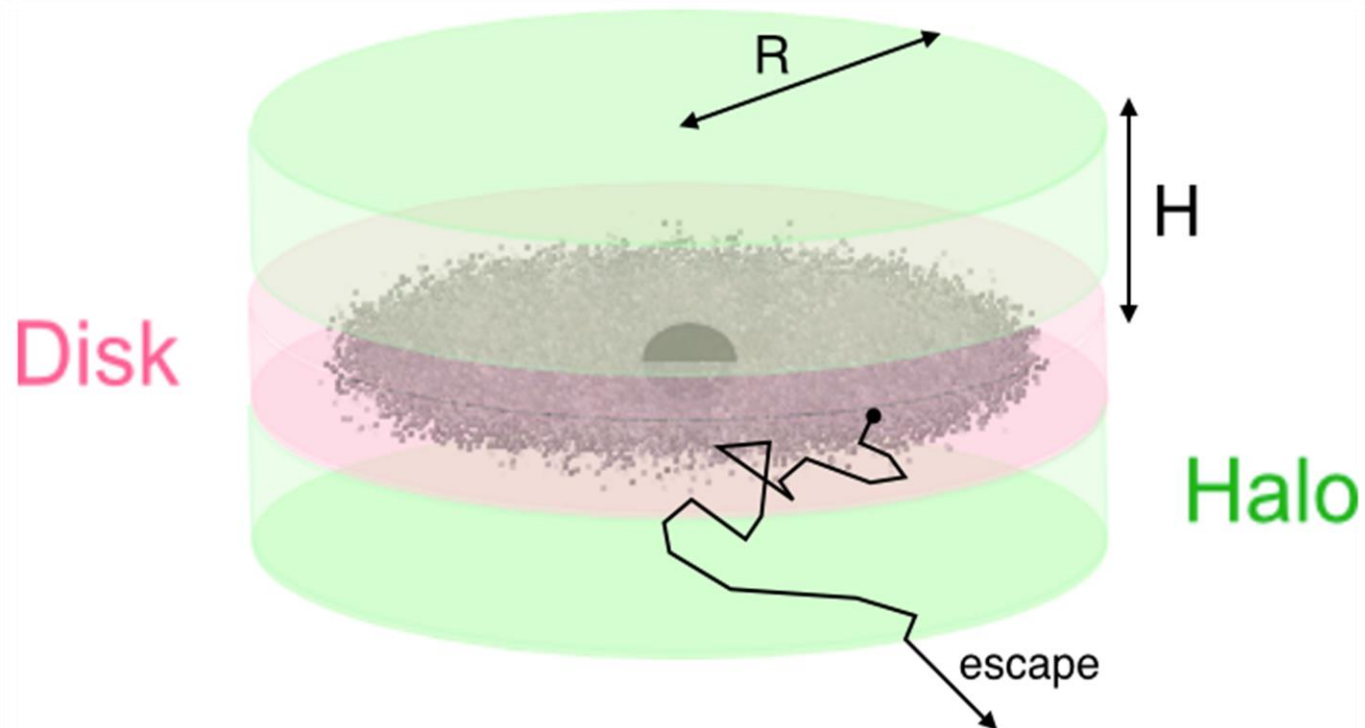


Diffusive transport of Galactic cosmic rays

$$\vec{\nabla} \cdot (-D \nabla N_i - \vec{v}_\omega N_i) + \frac{\partial}{\partial p} \left[p^2 D_{pp} \frac{\partial}{\partial p} \left(\frac{N_i}{p^2} \right) \right] = Q_i + \frac{\partial}{\partial p} \left[\dot{p} N_i - \frac{p}{3} (\vec{\nabla} \cdot \vec{v}_\omega N_i) \right]$$

$$- \frac{N_i}{\tau_i^f} + \sum \Gamma_{j \rightarrow i}^s (N_j) - \frac{N_i}{\tau_i^r} + \sum \frac{N_j}{\tau_{j \rightarrow i}^r}$$

Secondary-to-primary ratios are key to evaluate the diffusion coefficient



Diffusion coefficient ($D \propto 1/\tau^{\text{diff}}$)

$$N_{\text{pr}} \propto Q_{\text{pr}}(E)/D(E)$$

$$N_{\text{sec}} \propto Q_{\text{sec}}(E)/D(E)$$

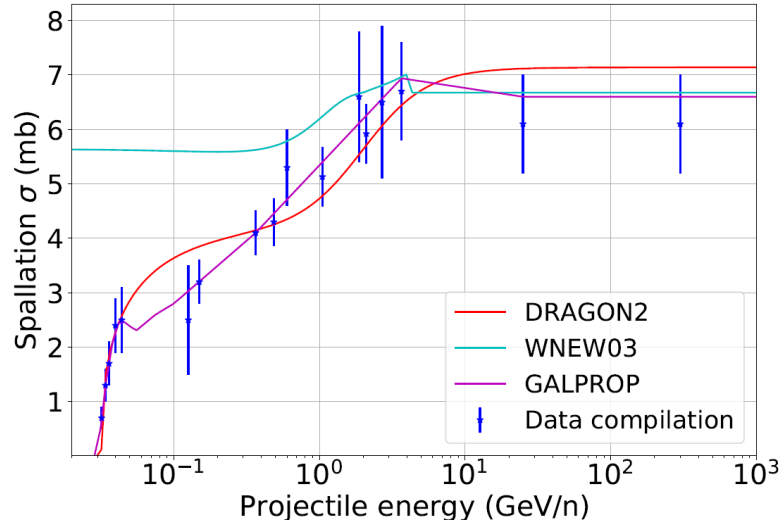
$$Q_{\text{sec}} \propto N_{\text{pr}}(E) \sigma(E)$$

$$\frac{N_{\text{sec}}}{N_{\text{pr}}} = \frac{Q_{\text{sec}}}{Q_{\text{pr}}} \sim \sigma(E)/D(E)$$

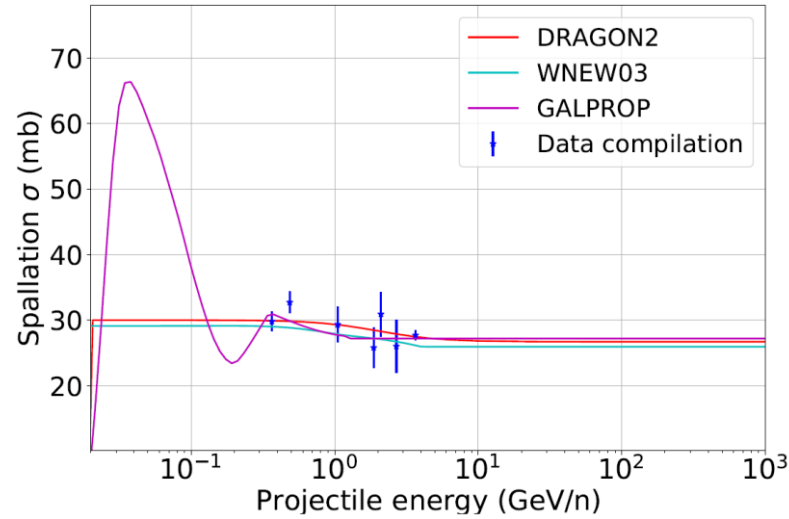
Complexity of cross sections measurements and the amount of interaction channels involved in the CR network obey us to employ parametrizations

Cross sections parametrizations

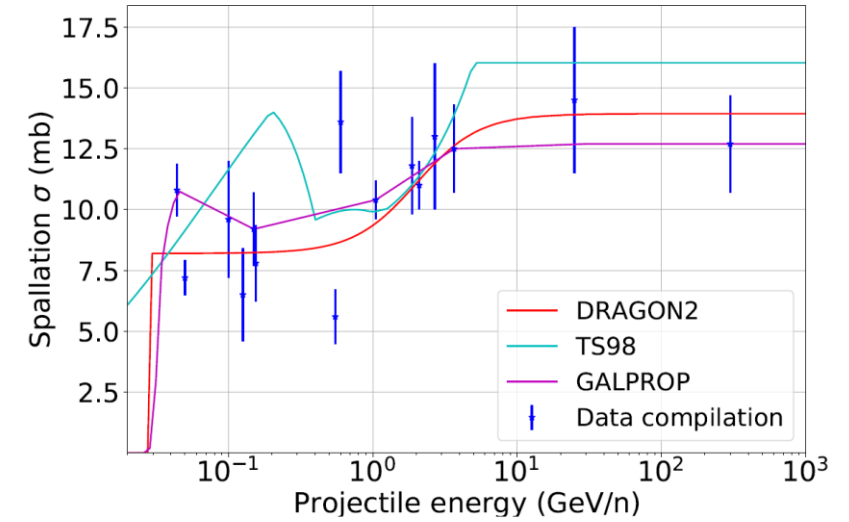
Direct $^{12}\text{C} + ^1\text{H} \rightarrow ^9\text{Be}$



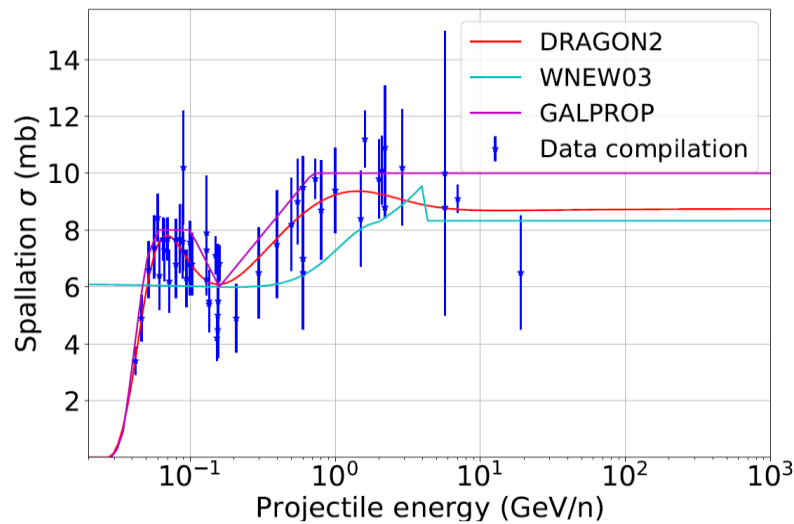
Direct $^{12}\text{C} + ^1\text{H} \rightarrow ^{11}\text{B}$



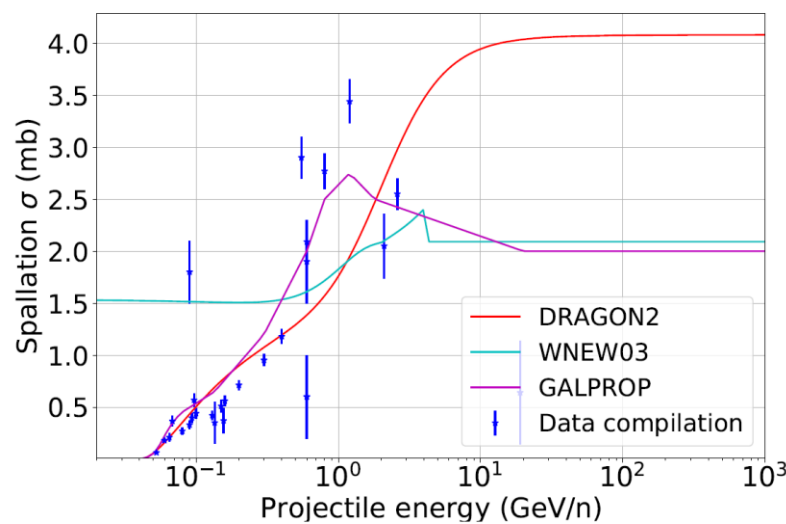
Direct $^{12}\text{C} + ^1\text{H} \rightarrow ^7\text{Li}$



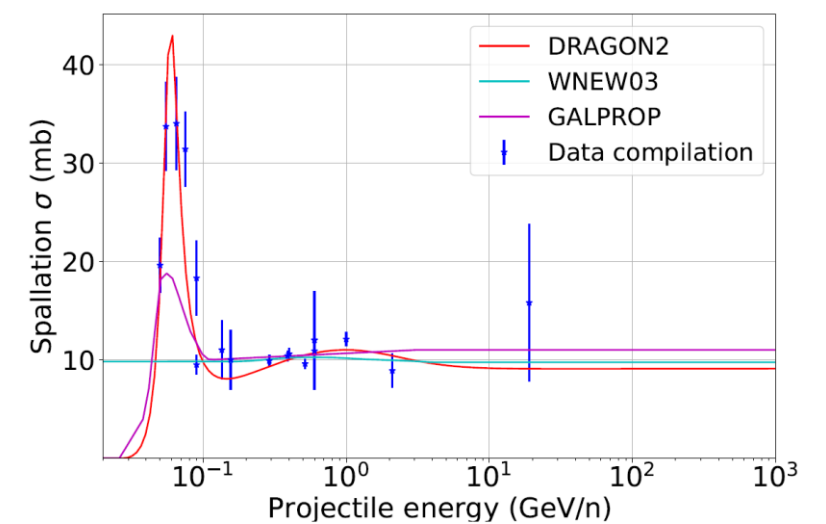
Direct $^{16}\text{O} + ^1\text{H} \rightarrow ^7\text{Be}$



Direct $^{16}\text{O} + ^1\text{H} \rightarrow ^{10}\text{Be}$



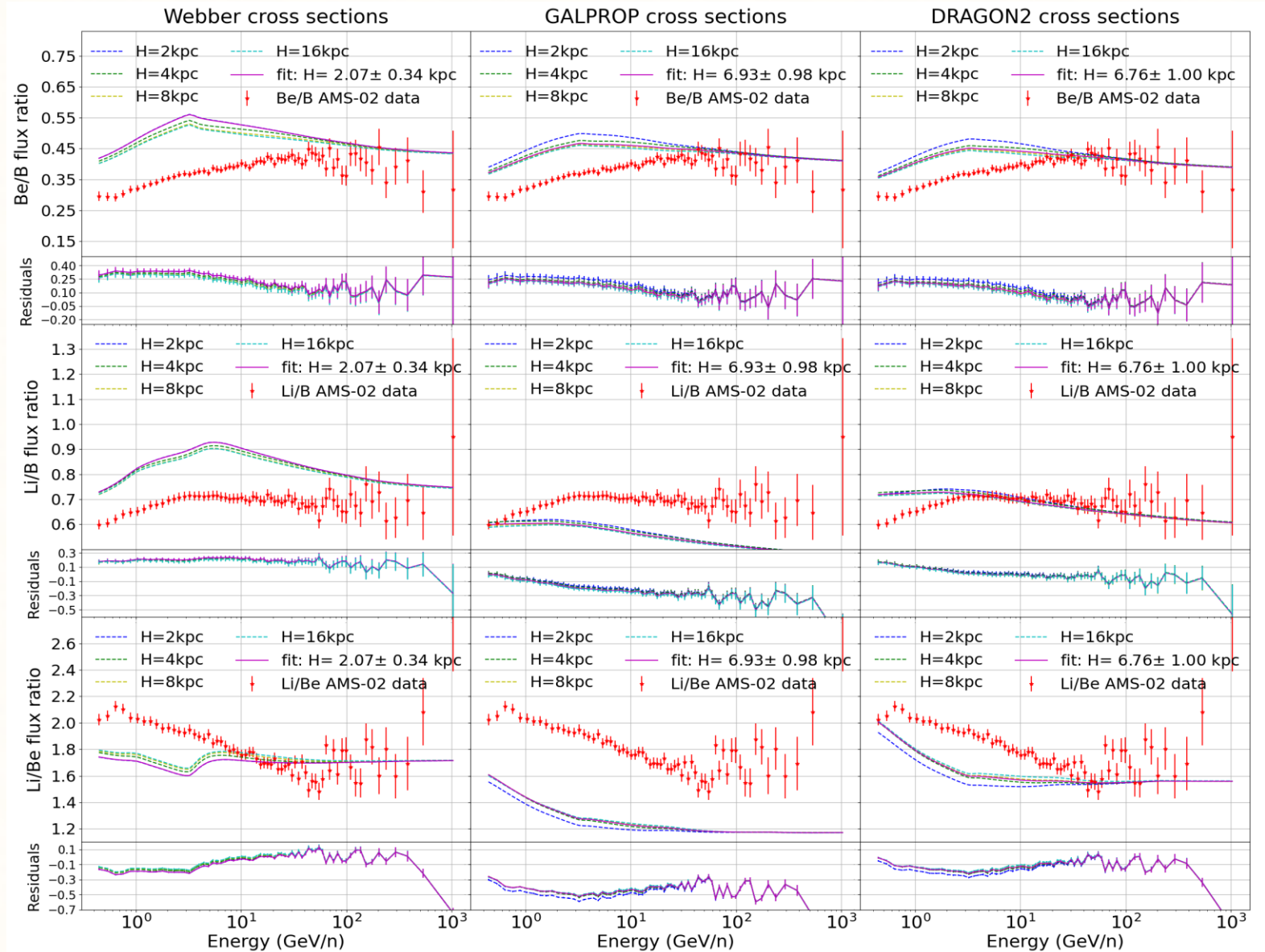
Direct $^{16}\text{O} + ^1\text{H} \rightarrow ^{10}\text{B}$



Flux ratios of CR B, Be and Li

- Ratios among secondary cosmic rays offer a sensitive tool to compare between different cross sections models
- Combination of different CR species provide a way to reduce the effect of uncertainties
- Li flux ratios predictions from GALPROP seem to be significantly discrepant with other parametrizations: **Li problem**
- Primary origin of Li?

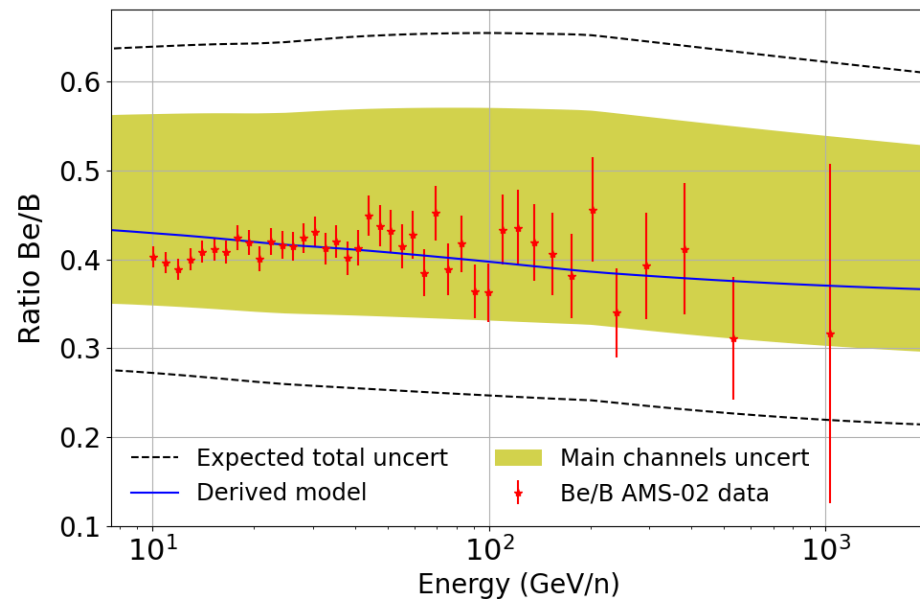
De la Torre et al. JCAP 03, 099 (2021)



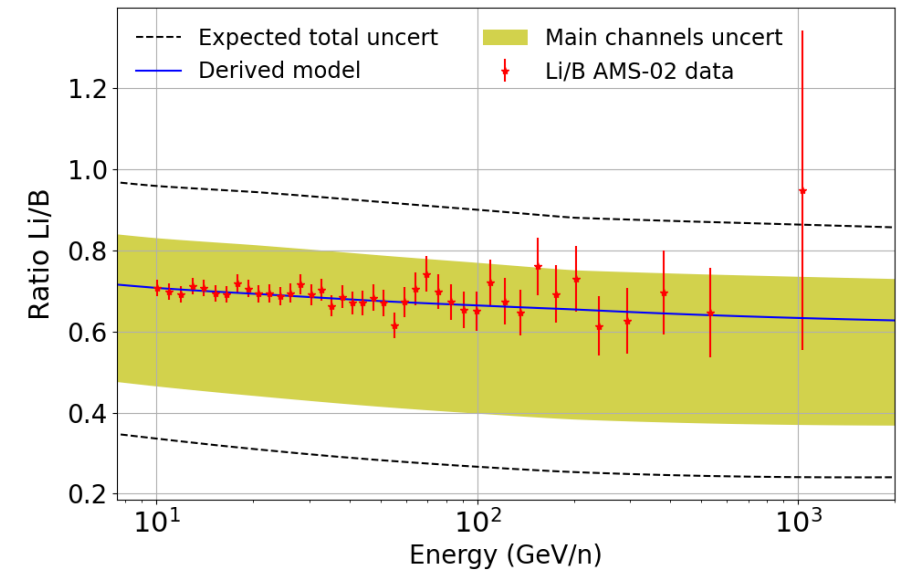
Secondary-over-secondary ratios allow us to easily propagate the cross sections uncertainties revealing that Li, Be and B can be explained at the same time without need of any (extra) primary sources

Combination of secondary-over-secondary flux ratios and cross sections measurements can help improving the current parametrizations

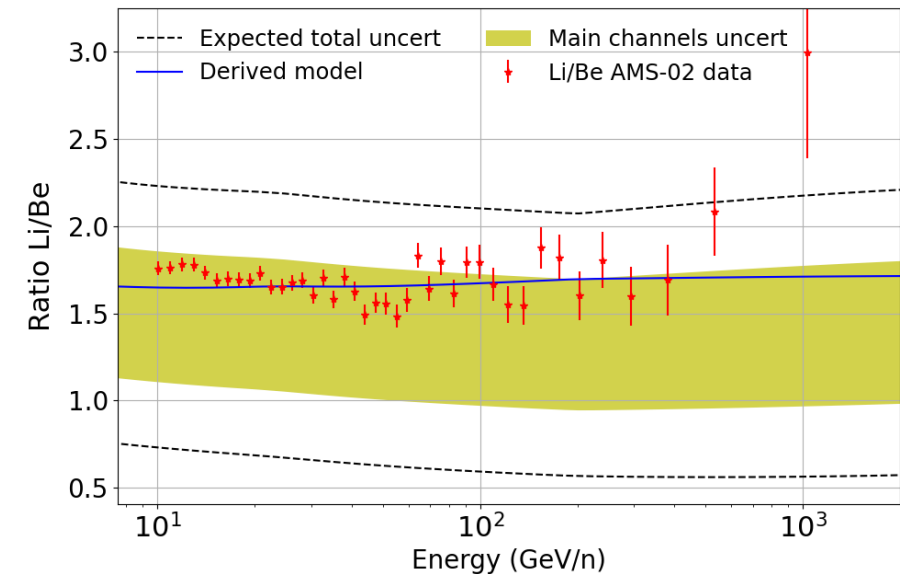
Be/B spectrum



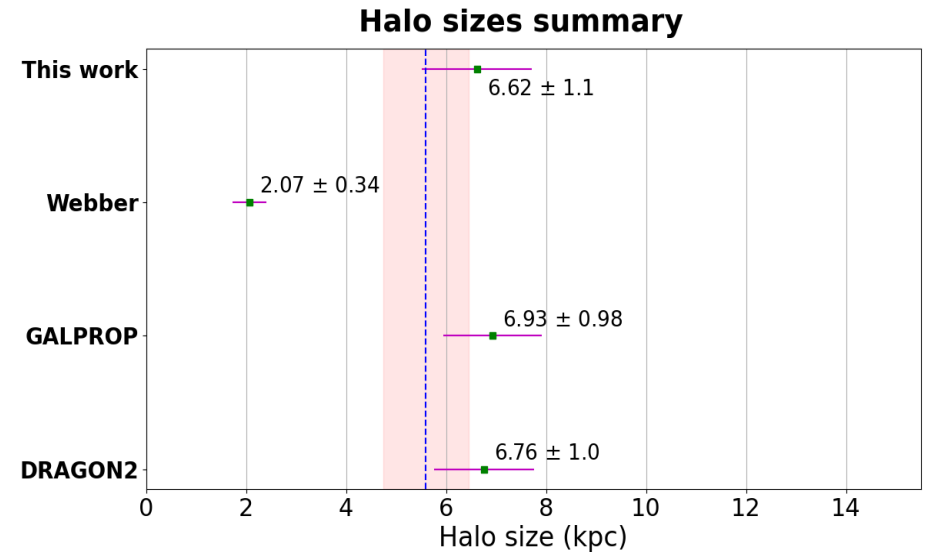
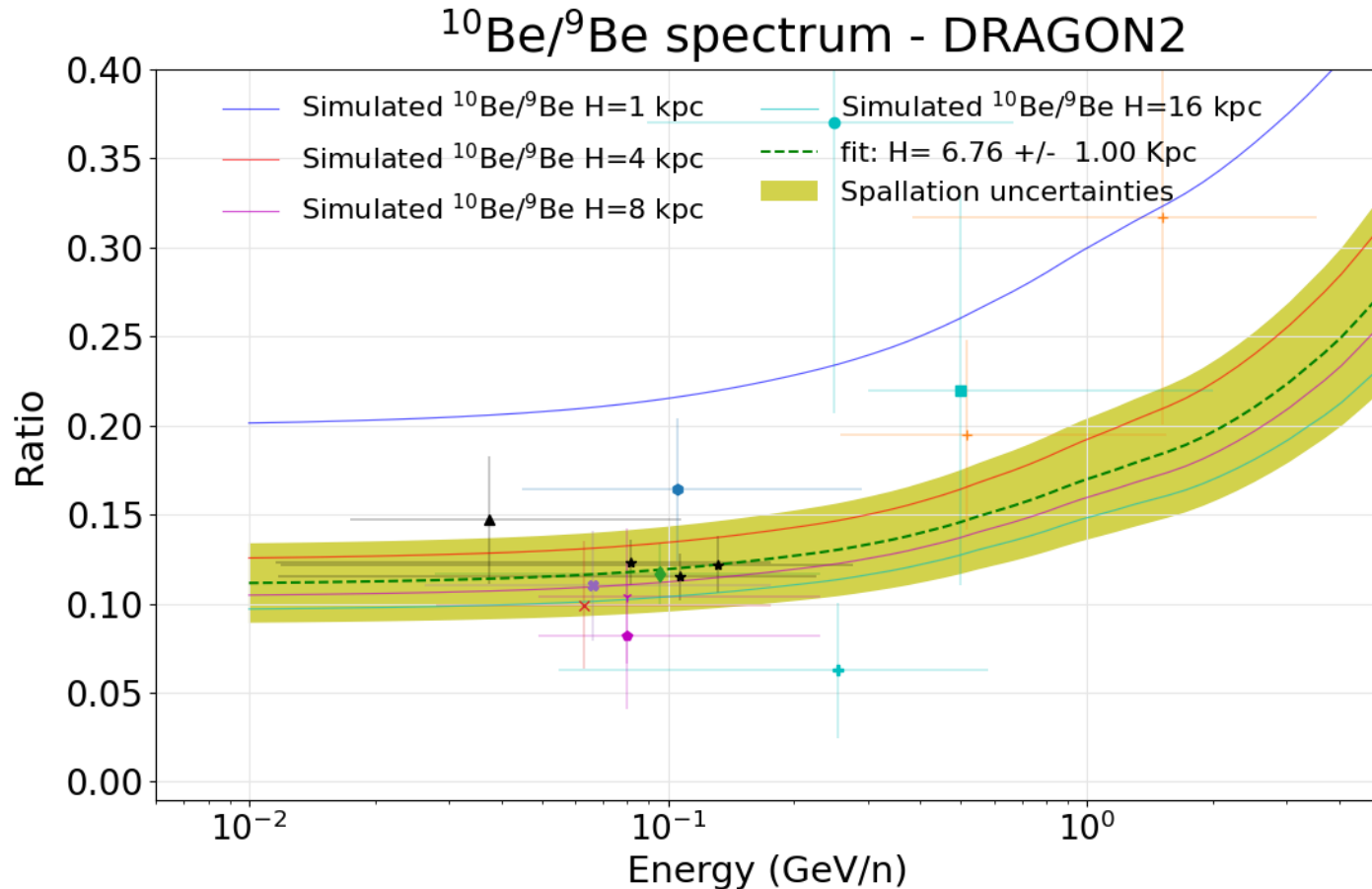
Li/B spectrum



Li/Be spectrum



Impact of spallation uncertainties on the halo height determination



Best combined fit: $H = 6.8 \pm 1$ kpc

Spallation uncertainties imply uncertainties around 40% in this ratio

Including these uncertainties we can only constraint the value of the halo height to be $3 \text{ kpc} < H < 20 \text{ kpc}$

Fluorine spectra

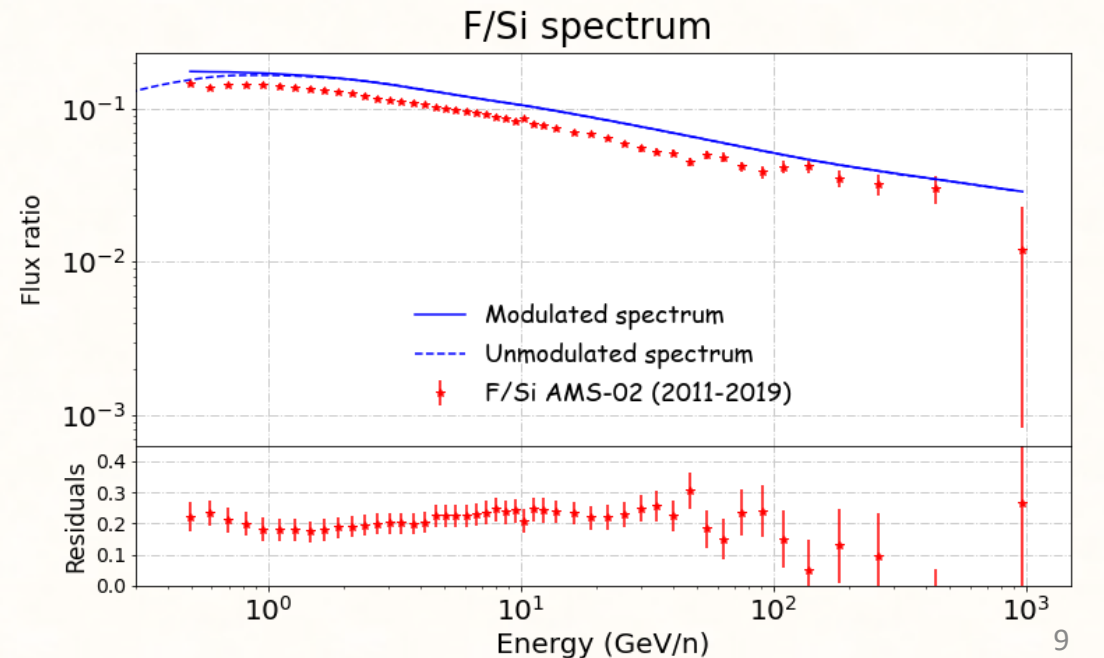
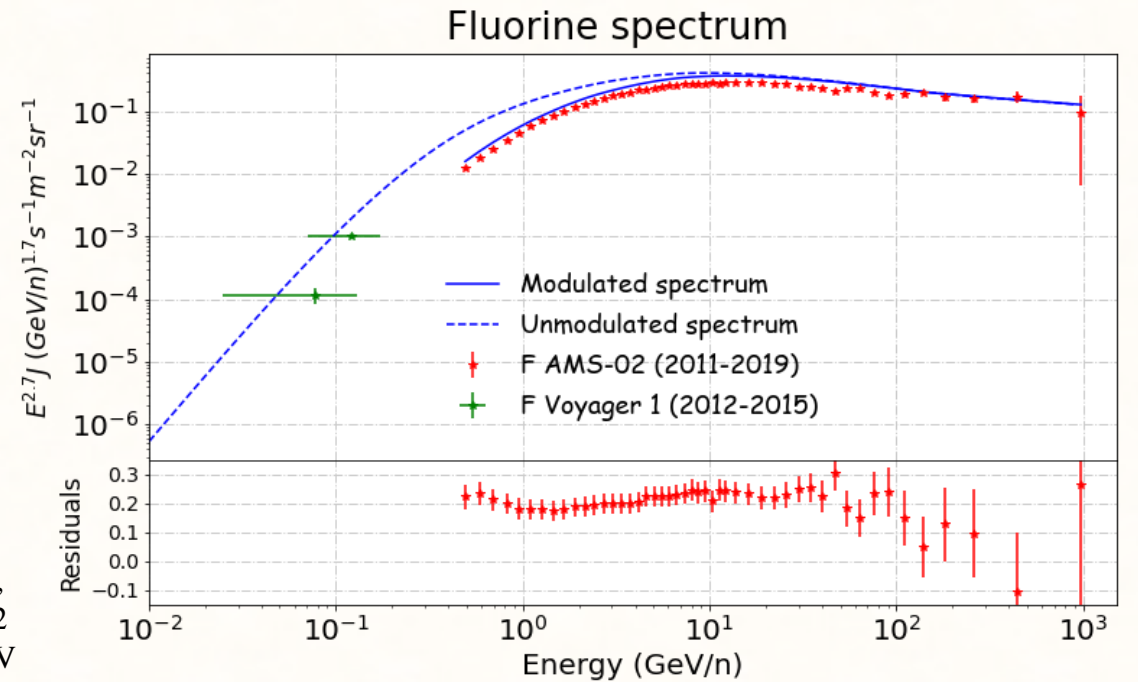
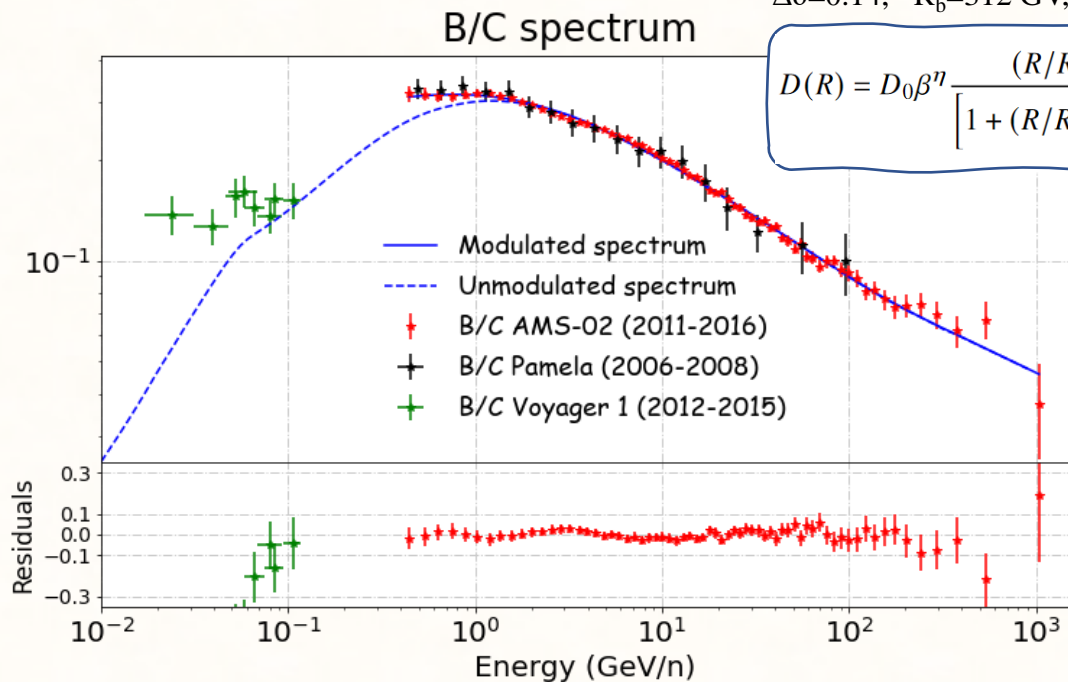
^{19}F mainly produced from Ne, Mg, Si group

Uncertainties are higher and difficult to quantify

Compatible with AMS-02 data considering a cross sections scaling of $\sim 20\%$

$H=6.8$ kpc, $D_0=7.1 \cdot 10^{28}$ cm^2/s ,
 $V_A=27.7$ km/s, $\eta=-0.6$, $\delta=0.42$
 $\Delta\delta=0.14$, $R_b=312$ GV, $R_0=4$ GV

$$D(R) = D_0 \beta^\eta \frac{(R/R_0)^\delta}{\left[1 + (R/R_b)^{\Delta\delta/s}\right]^s}$$



Fluorine spectra

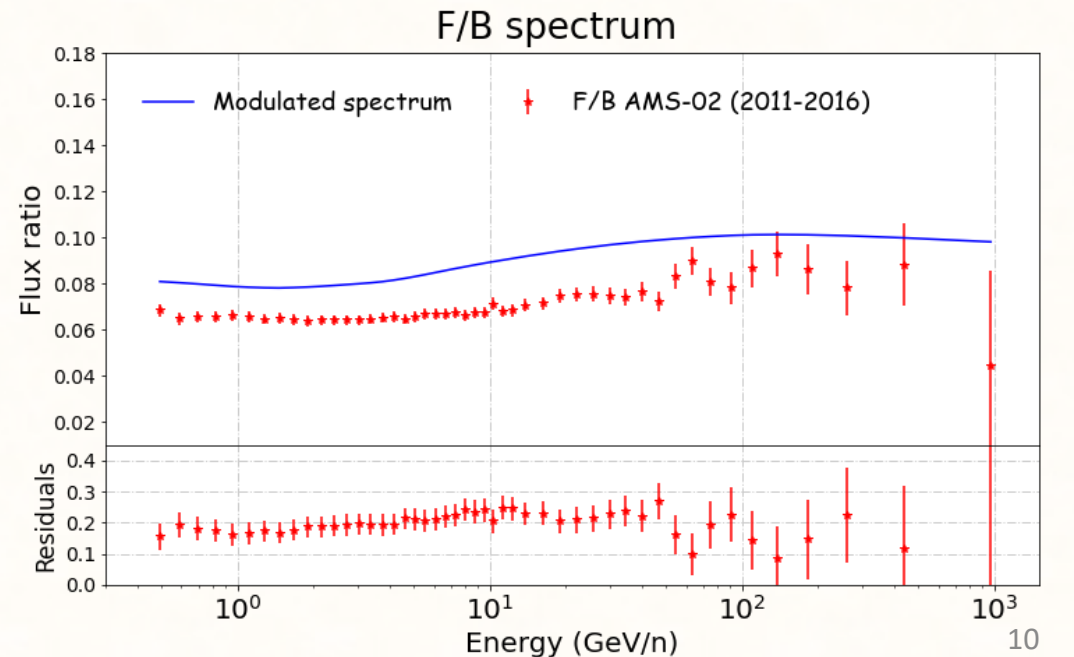
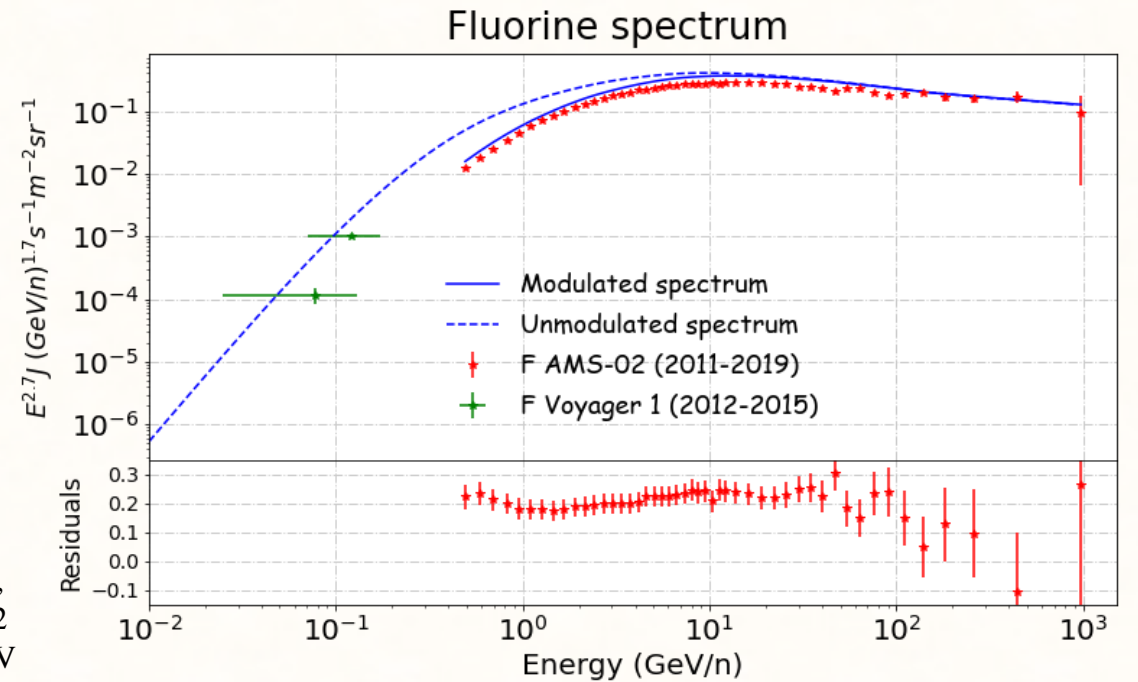
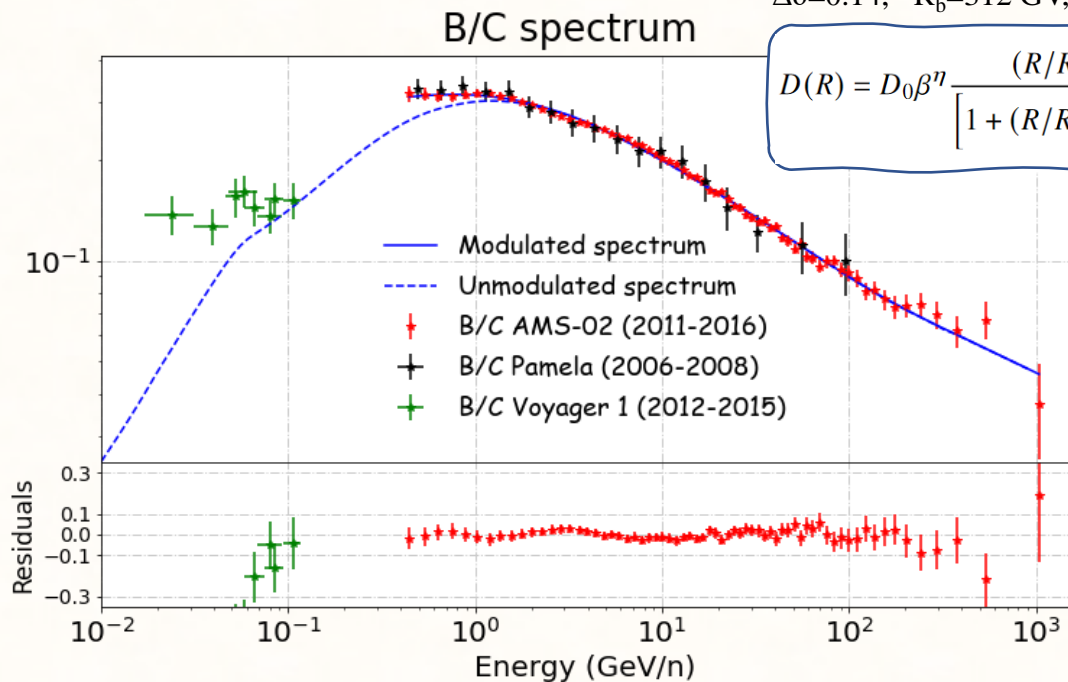
^{19}F mainly produced from Ne, Mg, Si group

Uncertainties are higher and difficult to quantify

Compatible with AMS-02 data considering a cross sections scaling of ~20%

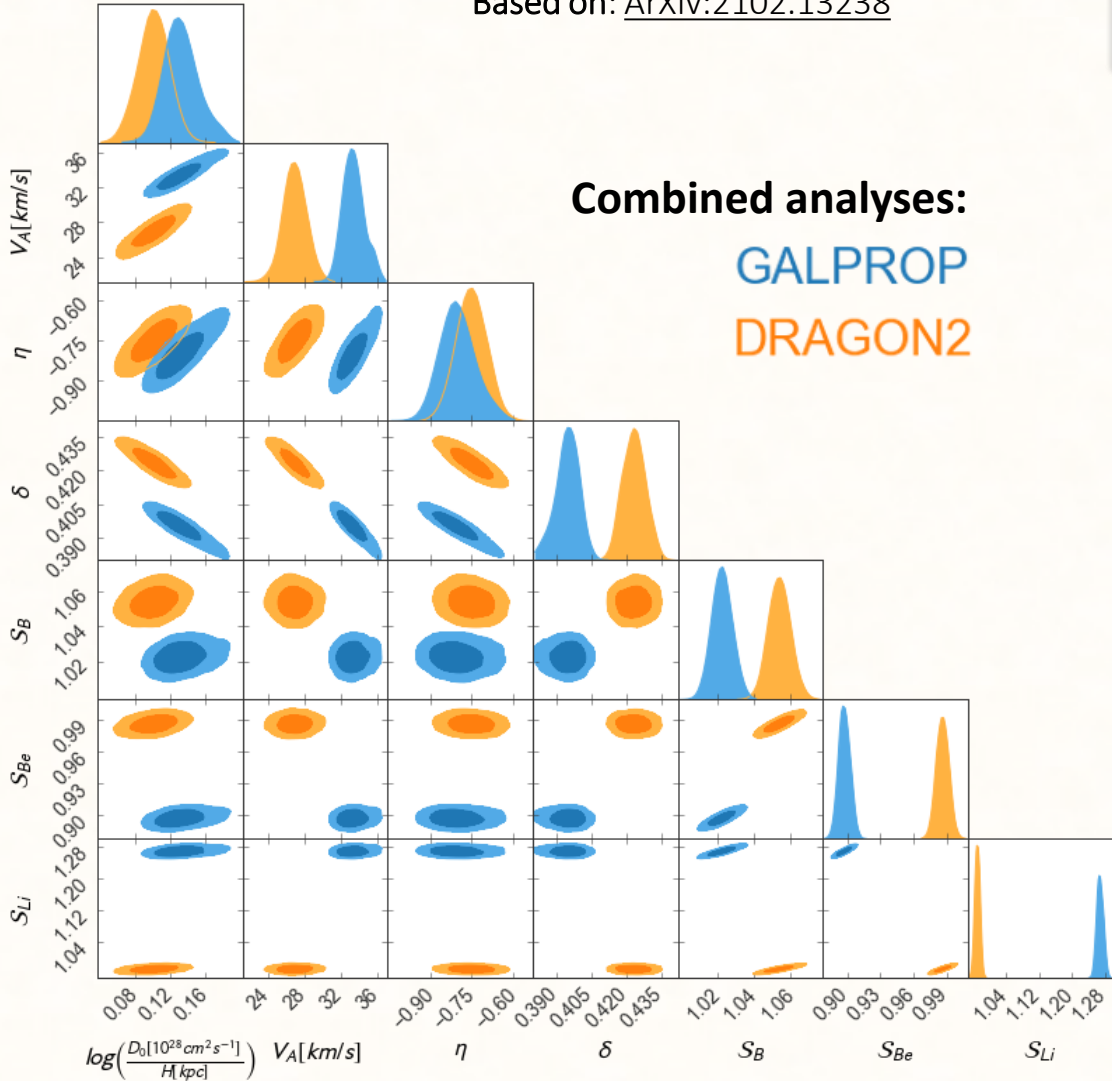
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$$D(R) = D_0 \beta^\eta \frac{(R/R_0)^\delta}{\left[1 + (R/R_b)^{\Delta\delta/s}\right]^s}$$



Analyses of the diffusion parameters

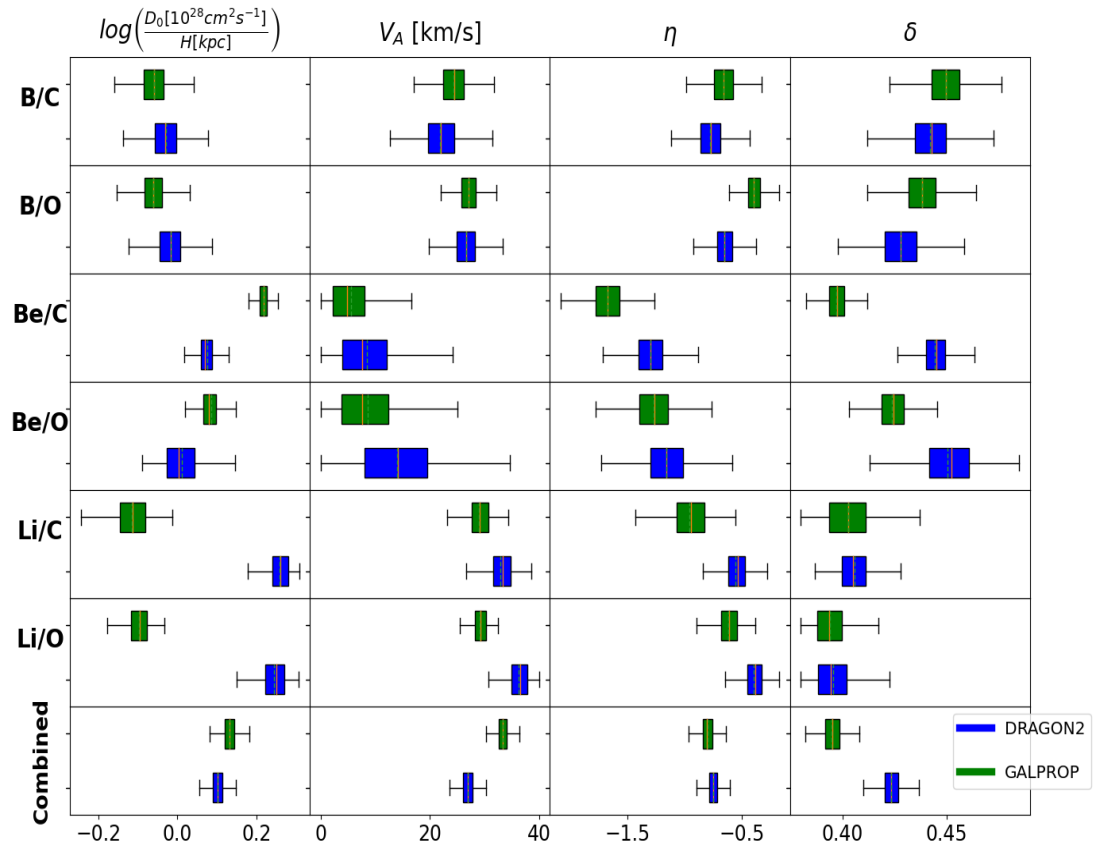
Based on: [ArXiv:2102.13238](https://arxiv.org/abs/2102.13238)



Monte Carlo analysis: Combination of the ratios of secondary CRs

$$\ln \mathcal{L}^{Total} = \sum_F \ln(\mathcal{L}(F)) + \sum_X \mathcal{N}_X$$

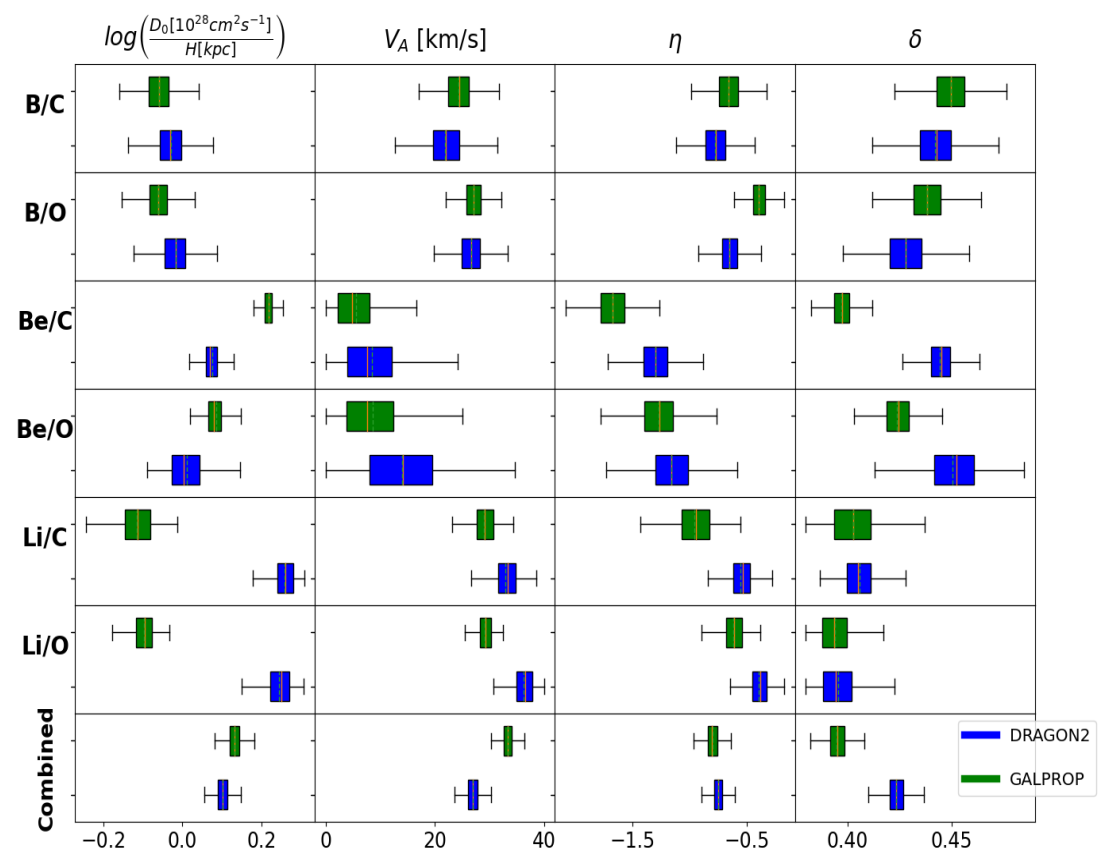
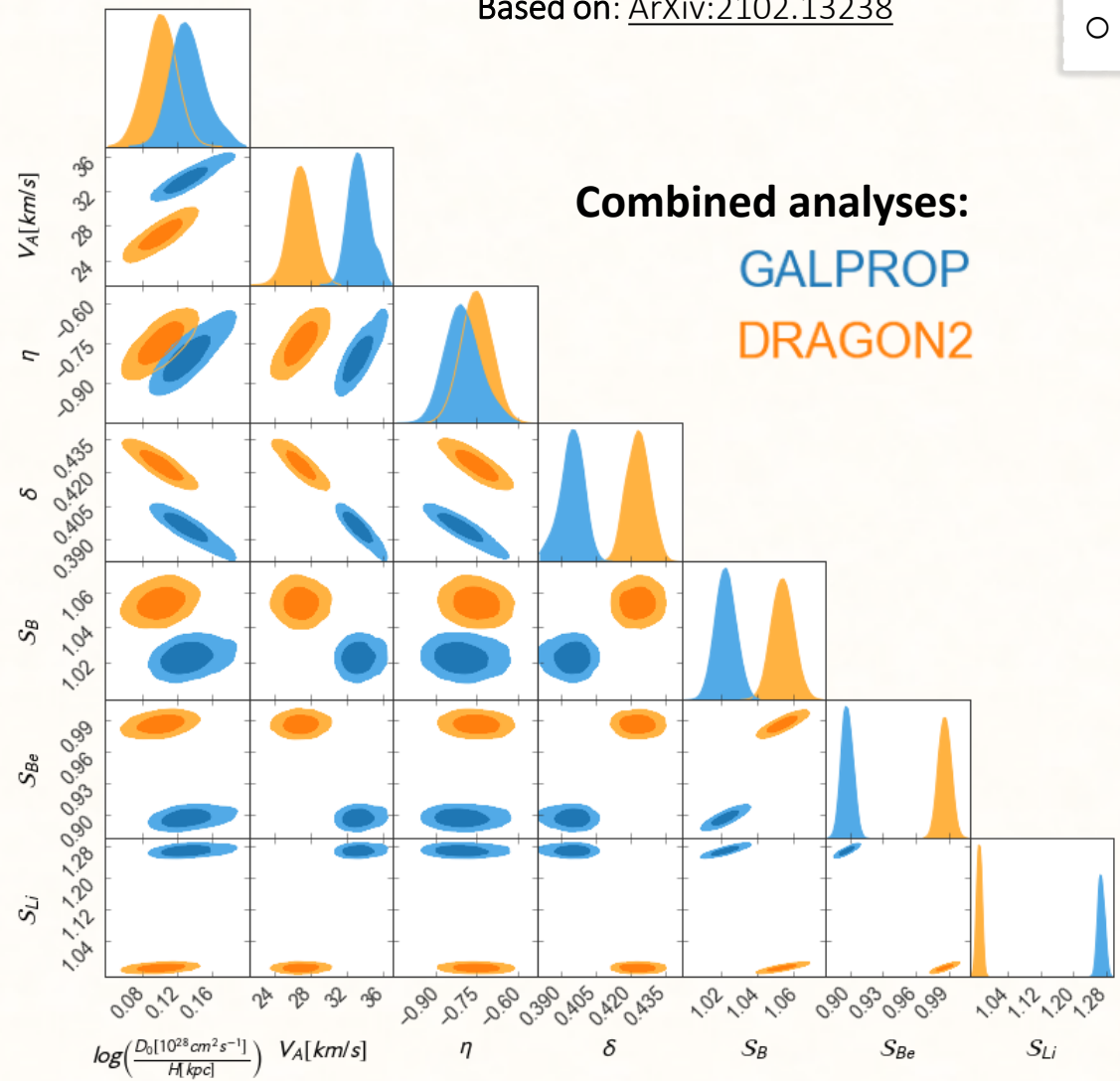
$\frac{Li, Be, B}{(C, O, Li, Be, B)}$ $\frac{B, Be, Li}{X}$



Analyses of the diffusion parameters

Based on: [ArXiv:2102.13238](https://arxiv.org/abs/2102.13238)

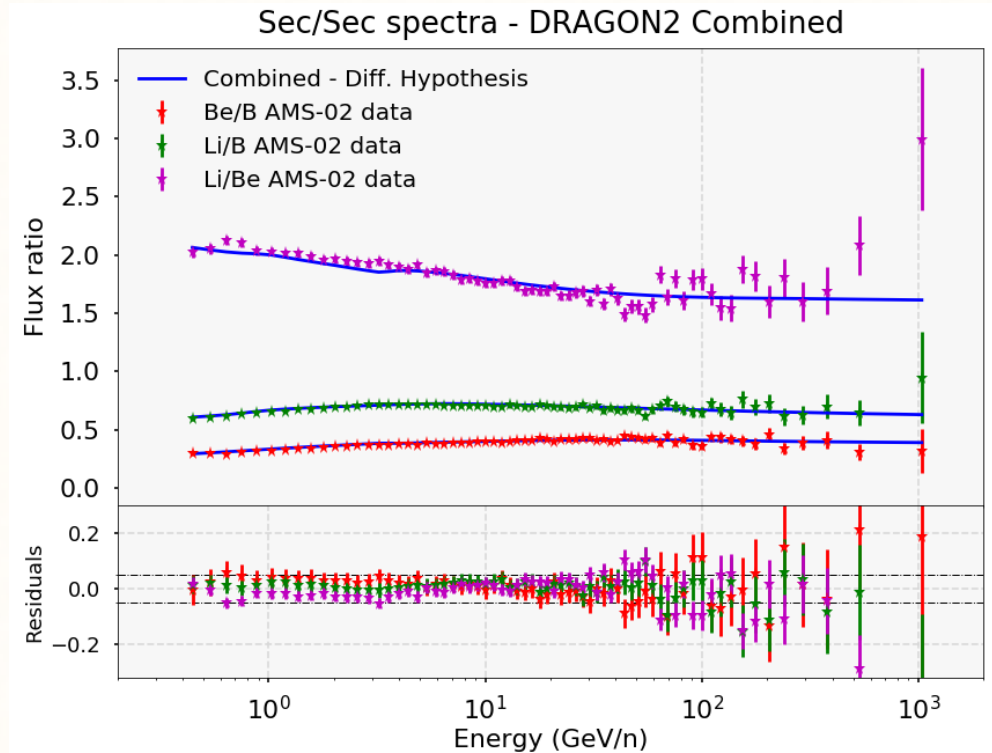
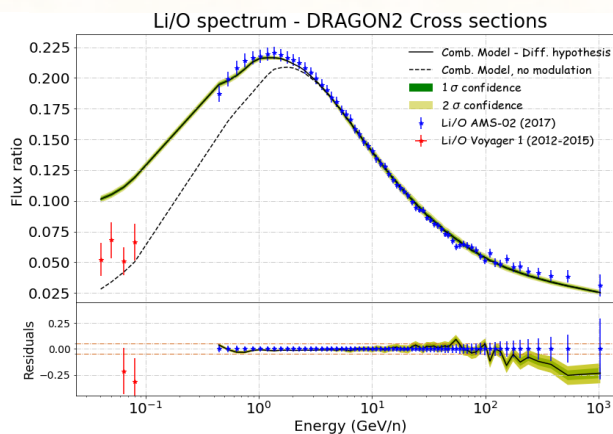
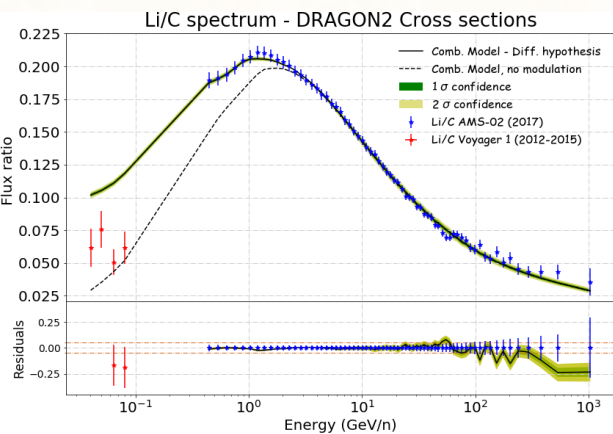
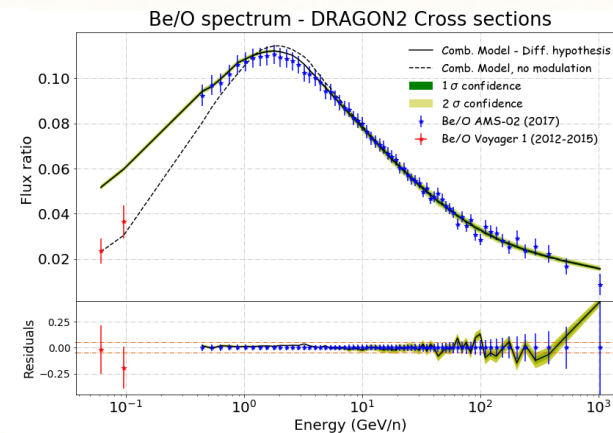
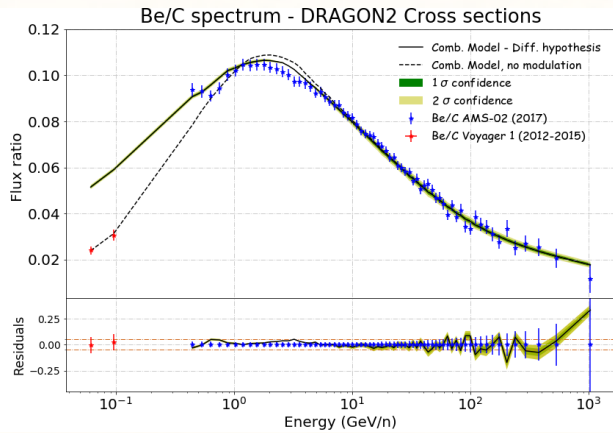
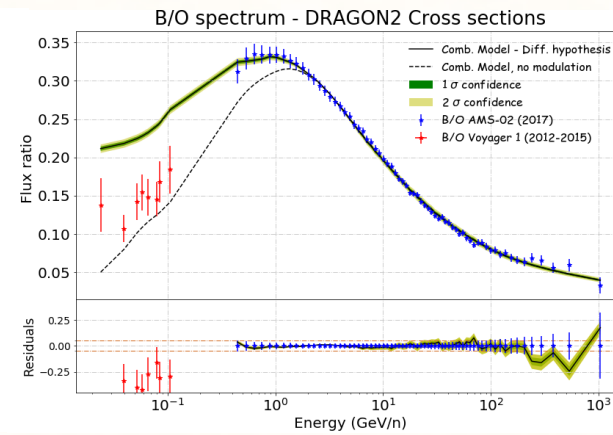
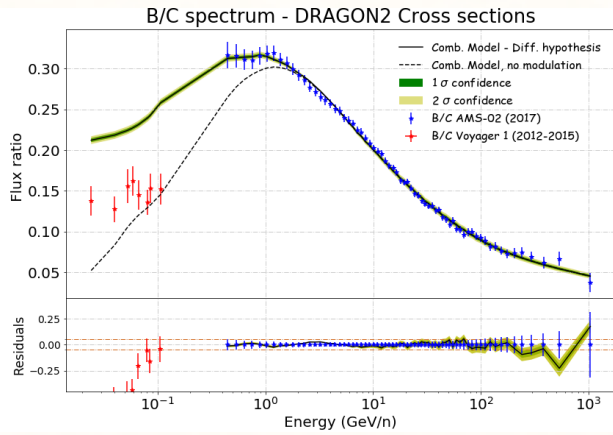
- Negative η values \rightarrow Wave dissipation
- V_A compatible with ~ 30 km/s
- Large dispersion of δ : 0.37 – 0.46, specially hard for Li ratios



Combined DRAGON2

Compatible with all ratios for scale factors $S_X < 1.06$ ($< 6\%$ scale)

Predicted $\delta = 0.42$ (0.38-0.44)

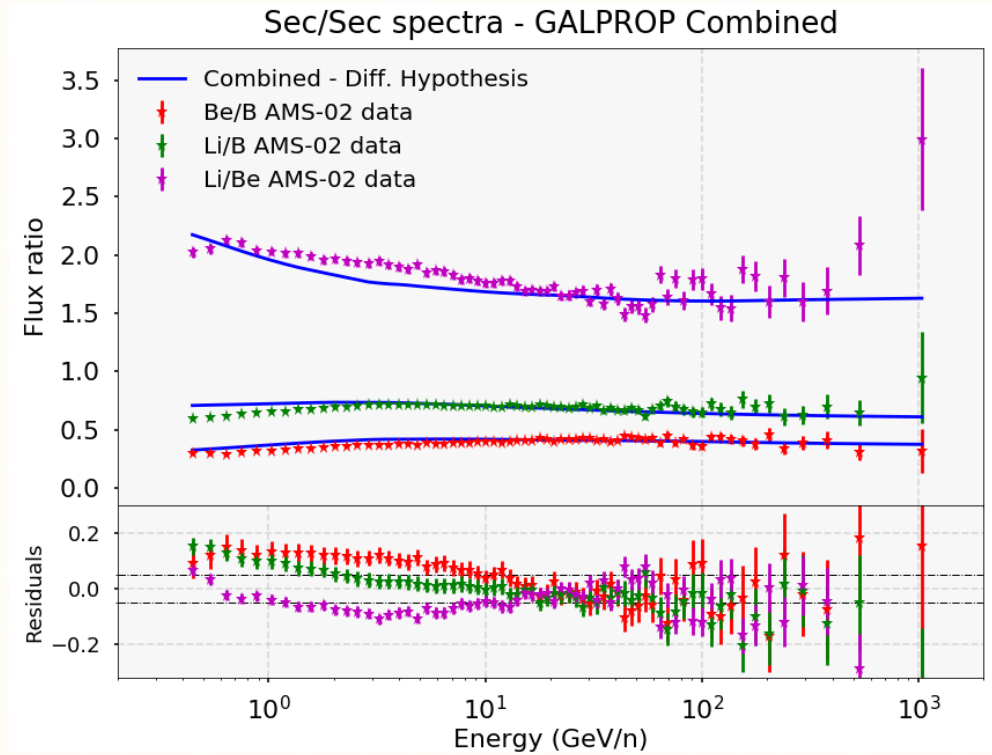
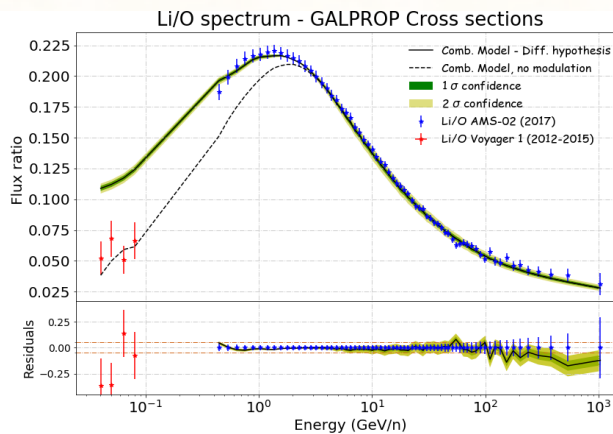
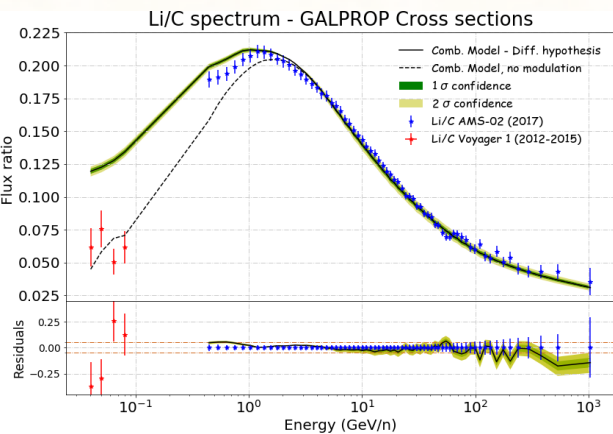
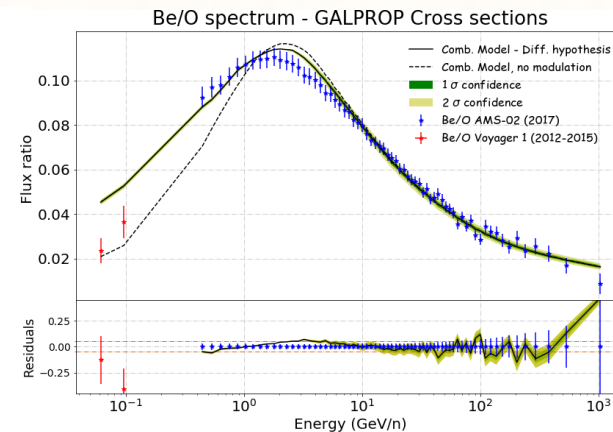
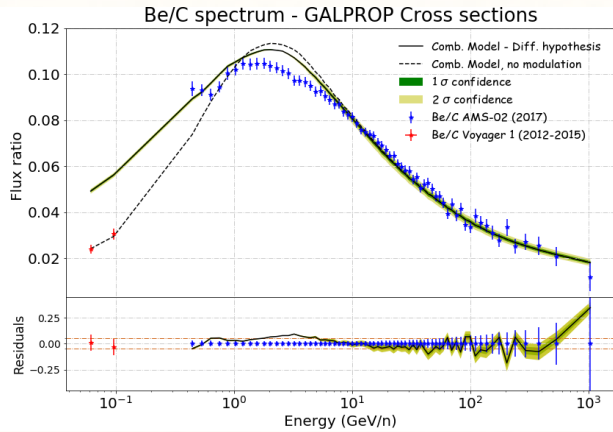
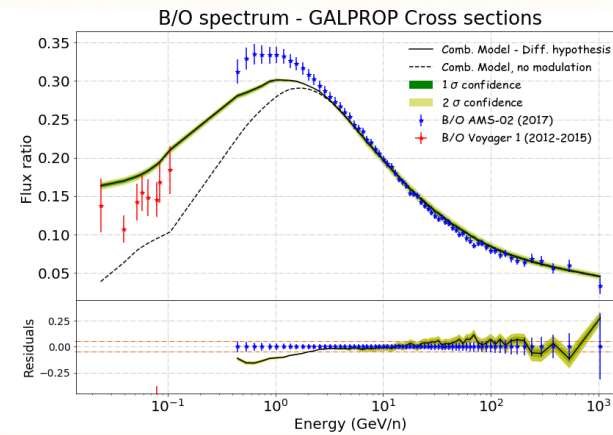
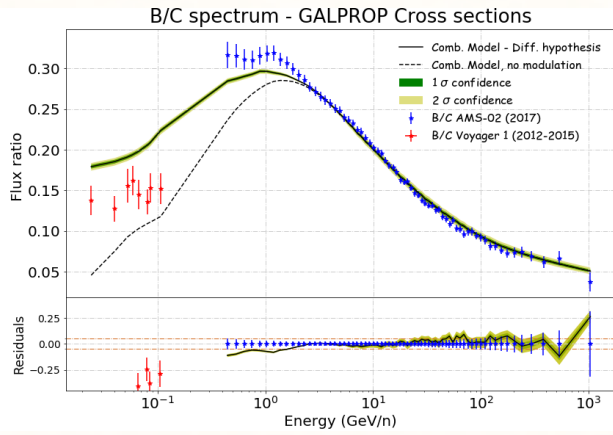


Combined GALPROP

Need of more degrees of freedom

$$S_B = 1.01, S_{Be} = 0.9, S_{Li} = 1.25 (\pm 1\%)$$

Predicted $\delta = 0.39 (0.35-0.42)$



TO SUMMARIZE...

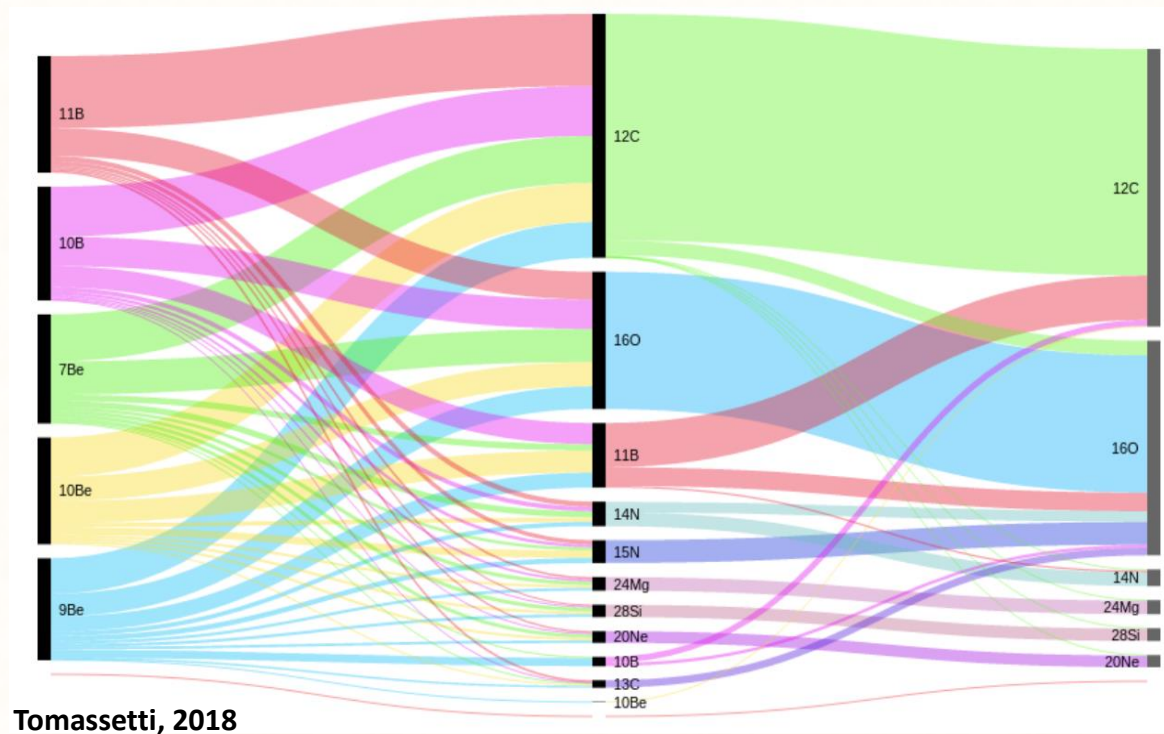
- **The spallation cross sections are the main concern for precise studies on CR propagation.** These uncertainties significantly affect our conclusions on the nature and production of secondary CRs, as well as our evaluation of the diffusion process.
- **The most updated parametrizations are able to reproduce all the spectra of secondary CRs simultaneously, just scaling the cross sections below 6%.** This combination of secondary CRs reduce the effect of systematic uncertainties.
- **New and more precise cross sections measurements for the production of the isotopes involved in galactic cosmic-ray studies are wanted!** Also isotopic measurements of CRs would allow us improve the current parametrizations.

BACK UP

High uncertainties in XSecs → High uncertainties in the secondary CRs

$$Q_{sec}(E) \propto \sum^{pr} J_{pr}(E) \sigma_{pr \rightarrow sec}(E)$$

Complexity of the XS network



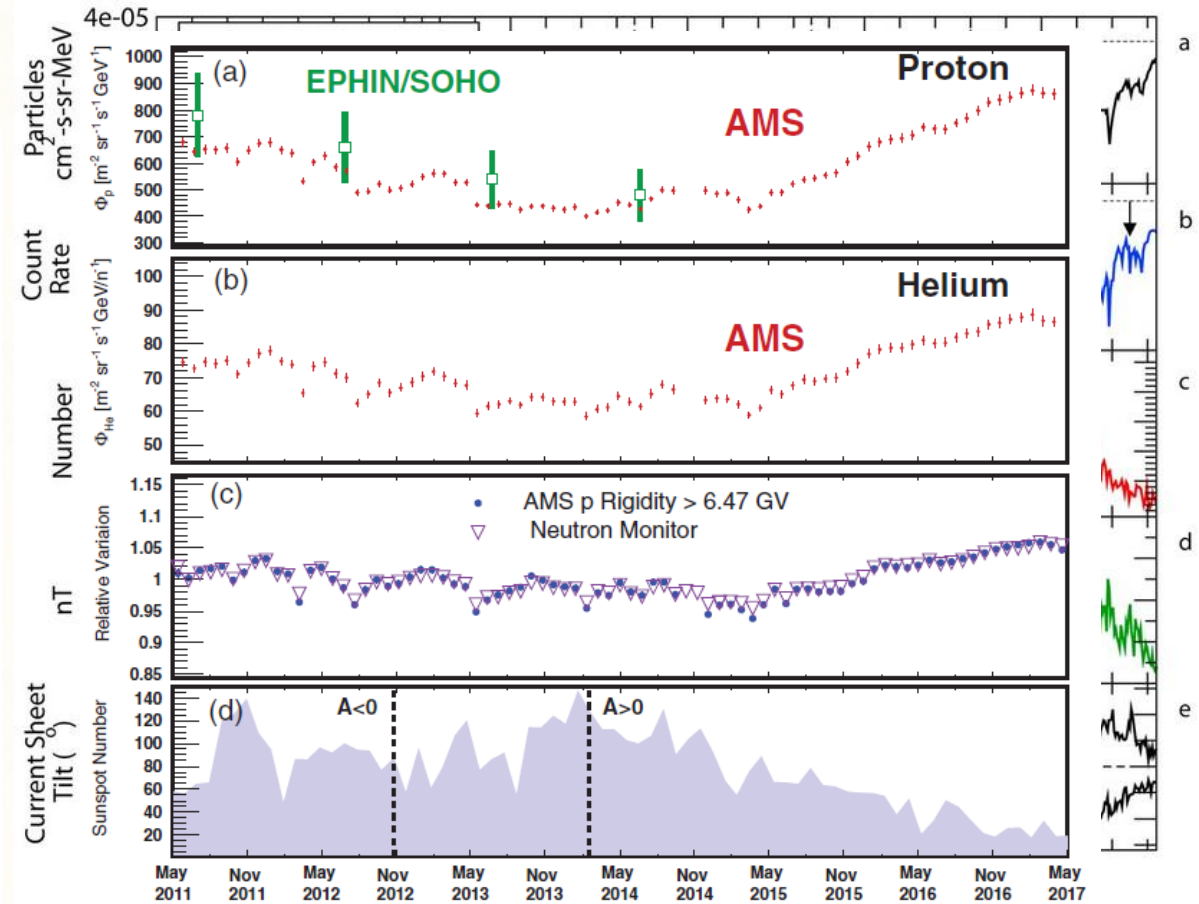
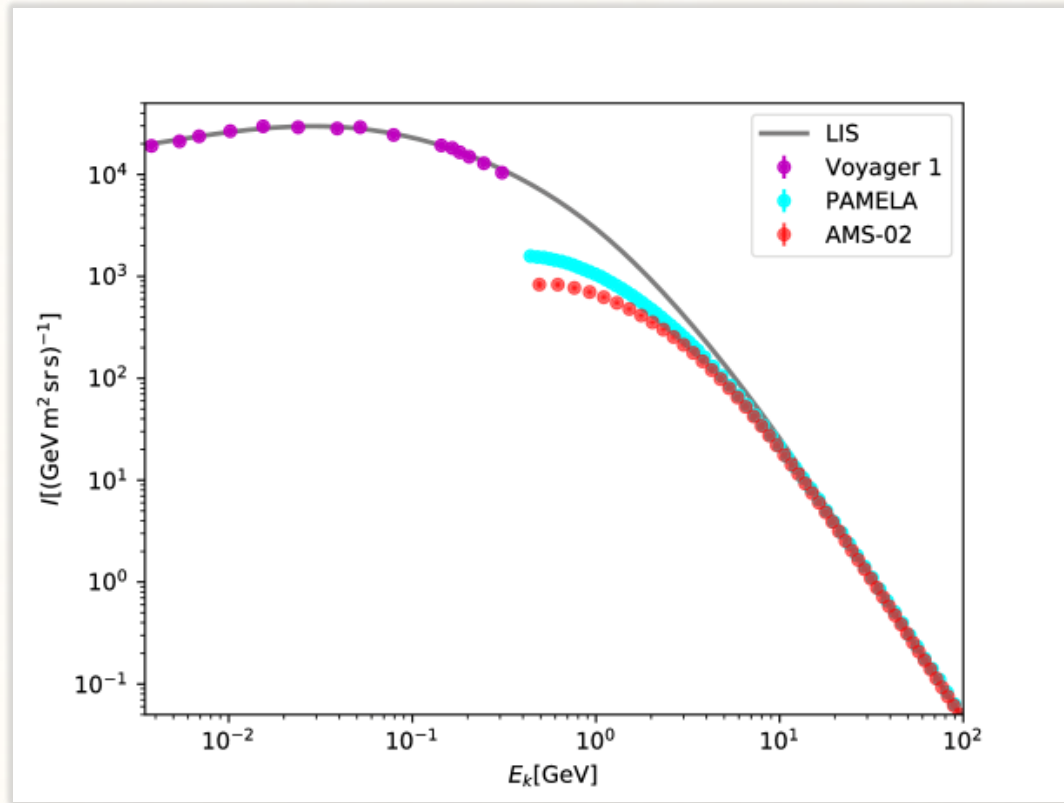
Assessment of XSec errors in sec. CRs

- Main spallation channels: O and C
- Secondary channels (N, Ne, Mg, Si & Fe) are very important for Li and Be (< 50%)
- Tertiary channels also matter:
e.g. $^{11}\text{B} + \text{gas} \rightarrow ^{10}\text{B} + \text{X}$

Genolini et al. 2019 ; [arXiv:1803.04686](https://arxiv.org/abs/1803.04686)

Tomassetti, 2018 ; [arXiv:1707.06917](https://arxiv.org/abs/1707.06917)

Solar modulation



- ❖ Detailed heliospheric simulations or Force-Field approximation
- ❖ Neutron monitor experiments + Voyager-01 data

$$\Phi^{\text{TOA}}(T) = \frac{2mT + T^2}{2m \left(T + \frac{Z}{A}\phi\right) + \left(T + \frac{Z}{A}\phi\right)^2} \Phi^{\text{IS}}\left(T + \frac{Z}{A}\phi\right)$$

Diffusive transport of Galactic cosmic rays

Propagation equation is solved with the DRAGON2 code

https://github.com/cosmicrays/DRAGON2-Beta_version

$$\vec{\nabla} \cdot (-D \nabla N_i - \vec{v}_\omega N_i) + \frac{\partial}{\partial p} \left[p^2 D_{pp} \frac{\partial}{\partial p} \left(\frac{N_i}{p^2} \right) \right] = Q_i + \frac{\partial}{\partial p} \left[\dot{p} N_i - \frac{p}{3} (\vec{\nabla} \cdot \vec{v}_\omega N_i) \right]$$

$$- \frac{N_i}{\tau_i^f} + \sum \Gamma_{j \rightarrow i}^s(N_j) - \frac{N_i}{\tau_i^r} + \sum \frac{N_j}{\tau_{j \rightarrow i}^r}$$

$$D = D_0 \beta^\eta \left(\frac{R}{R_0} \right)^\delta F(\vec{r}, z)$$

$$\frac{J_{\text{sec}}}{J_{\text{pr}}} \sim \sigma(E) / D(E)$$

$$\Gamma_{j \rightarrow i}^s = \beta_j c n_t \sigma_{j \rightarrow i} N_j$$