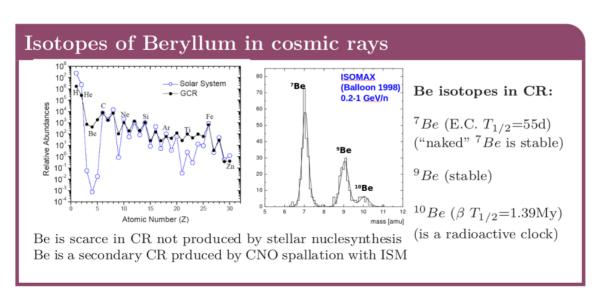


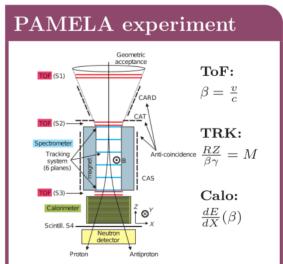


## A Data-Driven approach for the measurement of <sup>10</sup>Be/<sup>9</sup>Be flux ratio in Cosmic Rays with magnetic spectrometers

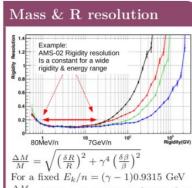
F. Nozzoli<sup>1,2</sup> and C. Cernetti<sup>2</sup>

The <sup>10</sup>Be/<sup>9</sup>Be flux ratio (thanks to the 2 My lifetime of <sup>10</sup>Be) is a radioactive clock providing the measurement of CR residence time in the Galaxy. Existing measurements of <sup>10</sup>Be/<sup>9</sup>Be in CR are limited to low energy and affected by large uncertainties, in particular from the Montecarlo simulation. A Data-Driven approach in magnetic spectrometers is presented, as an example it is applied to PAMELA data providing a new measurement in the 0.25-0.85 GeV/n range.





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 $\frac{\Delta M}{M}$  = const. => mass template scaling Templates  $T_7$ ,  $T_9$  and  $T_{10}$  are the three unkown mass distributions.

The "Data-Driven" approach: recipe summary

The three Be mass are similar, a linear

approximation is applied.  $\sigma_a$  is the RMS

of  $T_a$  and  $x_a$  is the median of  $T_a$ . The

function:  $x \to \frac{\sigma_a}{\sigma_b} x + \left[ x_a - \frac{\sigma_a}{\sigma_b} x_b \right]$ .

different, template  $L_{ab}T_c = T_d$  is:

 $D(x) = {}^{7}BeT_{7} + {}^{9}BeT_{9} + {}^{10}BeT_{10}$ 

The <sup>7</sup>Be template can be written as: 
$$T_7 = \frac{1}{^7Be} \left[ D - \frac{^9Be}{^7Be} L_{7,9}D - \frac{^{10}Be}{^7Be} L_{7,10}D \right] +$$

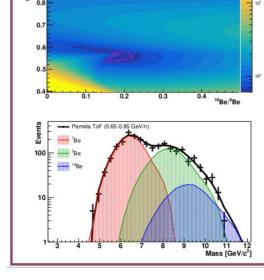
 $+\left(\frac{g_{Be}}{\tau_{Be}}\right)^{2}T_{G1} + \frac{g_{Be}}{\tau_{Be}}\frac{^{10}Be}{\tau_{Be}}(T_{G2} + T_{G3}) + \left(\frac{^{10}Be}{\tau_{Be}}\right)^{2}T_{G4}$ (linear) transformation  $L_{a,b}T_a = T_b$  is the the last four terms, are defined by:

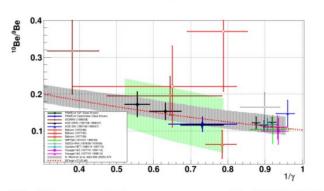
$$\begin{split} T_{G1} &= L_{7,9}T_{9} = L_{7,x_{G1}}T_{7} \quad T_{G2} = L_{7,9}T_{10} = L_{7,x_{G2}}T_{7} \\ T_{G3} &= L_{7,10}T_{9} = L_{7,x_{G3}}T_{7} \quad T_{G4} = L_{7,10}T_{10} = L_{7,x_{G4}}T_{7} \end{split}$$

The same transformation but applied to a T<sub>7</sub> can be iteratively evaluated for each  $\sigma_d = \sigma_c \frac{\sigma_b}{\sigma_c}$  and  $x_d = x_b + (x_c - x_a) \frac{\sigma_b}{\sigma_c}$ . fixed <sup>7</sup>Be > <sup>9</sup>Be > <sup>10</sup>Be configuration The known (measured) data distribution

 $T_9$  and  $T_{10}$  are obtained by scaling  $T_7$ is D(x), thus this system must be solved: and a  $\chi^2$  is evaluated. Three un-physical  $\chi^2 = 0$  solutions are <sup>n</sup>Be/Be=1. Use of  $L_{7,9}D(x) = {}^{7}BeT_9 + {}^{9}BeL_{7,9}T_9 + {}^{10}BeL_{7,9}T_{10}$  the statistical bootstrap is suggested for  $L_{7,10}D(x) = {}^{7}BeT_{10} + {}^{9}BeL_{7,10}T_{9} + {}^{10}BeL_{7,10}T_{10}$  confidence intervals of physical solution.







Data-Driven approach allows a new measurement in 0.25-0.85 GeV/n. Green shaded area is a (cautious) systematic error.

First experimental hint for time dilation effect in <sup>10</sup>Be/<sup>9</sup>Be.

Adopting a minimal model:  ${}^{10}\text{Be}/{}^{9}\text{Be} = \text{Ae}^{-\frac{T}{\gamma\tau}}$  (known  $\tau = 2\text{My}$ )

 $A = 0.27 \pm 0.13$  and  $T = 1.9 \pm 1.1$  My (dominated by PAMELA data) Data-Driven approach allows an independent test of Montecarlo systematics. Next step is the measurement using AMS-02 data.